

## Supplementary material

### Estimation of transition probabilities by means of maximum likelihood

Transition probabilities  $a_{ij}$  were estimated by means of maximum likelihood (Hjort and Varin 2007). Assuming  $a_{ij}$  to be the same for all plants in state  $j$  at time  $t$ , the probability that exactly  $n_{ij}$  plants of the  $Q_j$  plants in state  $j$  will change to state  $i$  during the next time interval can be found from the multinomial distribution as

$$\mathcal{L}_j = P(n_{1j}, n_{2j}, n_{3j}, n_{4j} | Q_j) = \frac{Q_j!}{n_{1j}! n_{2j}! n_{3j}! n_{4j}!} a_{1j}^{n_{1j}} a_{2j}^{n_{2j}} a_{3j}^{n_{3j}} a_{4j}^{n_{4j}} \quad (\text{S1})$$

Hence, the log likelihood function for  $K$  observations of transitions from state  $j$  becomes

$$\ln \mathcal{L}_j = \sum_{k=1}^K \ln Q_{jk}! - \sum_{k=1}^K \sum_{i=1}^4 \ln n_{ijk}! + \sum_{k=1}^K \sum_{i=1}^4 n_{ijk} \ln a_{ijk} \quad (\text{S2})$$

where the index  $k$  refers to values of  $Q_j$ ,  $n_{ij}$  and  $a_{ij}$  obtained from the  $k$ th sample. Since the first two terms of eq. (S1) are constants, the aim is to find values of  $a_{ijk} = c_{ij} L(\mathbf{q}_k)^{b_{ij}}$  that maximize the last term of the log likelihood function.

## References

- Hjort, N. L. and Varin, C. 2007. ML, PL, QL in Markov chain models. – Scand. J. Stat. 35: 64–82.